VSE-fs: Fast Full-Sample Visual Semantic Embedding

Songlin Zhai, Guibing Guo*, Fajie Yuan, Yuan Liu, and Xingwei Wang

Abstract—The visual semantic embedding (VSE) aims to construct a joint embedding space between visual features and semantic information, whereby classes can be well retrieved for a given image. However, VSE faces the computational challenge due to the large scale image-class data and the constrained system processing power. To speed up model training, many researchers resort to different sampling strategies by involving only a small portion of the classes at each training step. However, these methods are greatly biased especially when the sampling distribution deviates from the true data distribution. In order to retain VSE models fidelity, we adopt the regular full-sample in our algorithm. We also devise two separate optimization strategies to reduce time complexity, and derive more effective updating rules. The experimental results on four real datasets demonstrate that our approach not only converges much faster than the state-of-the-art sampling models, but also generates more accurate class retrieval.

Index Terms—Visual Semantic Embedding, Full Sample, Negative Sampling

1 INTRODUCTION—Visual Semantic Embedding, Full Sample, Negative Sampling

1 CLASS retrieval for a given image becomes a research hot spot to address the problem of automatically annotating images with relevant classes, which are often used as keywords by search engines. However, there is a semantic gap between the low-level image pixels (features) and related high-level class content (semantics). Many research works have attempted to solve the problem, such as Visual Semantic Embedding (VSE) models [1], [2] to build a joint embedding space between images and classes, and Neural Network models (NN) [3] to automatically learn image features and then classify images into multiple classes. In practice, NN models have a large number of network parameters, and thus are usually computationally expensive to train. Training a complicated model may take up to several weeks even if being equipped with many power machines (e.g., expensive GPUs). Besides, the information of image raw pixels may not be available in some situations or datasets, causing the class retrieval task more challenging. Whereas VSE models exactly aim to explore the latent relations between images and classes, bypassing the weaknesses of traditional NNs. Furthermore, VSE model is also be easily extended by appending the image features (see Section 3.4). Thus, our work follows the line of VSE models, and try to build a better joint embedding space with full sample without the consideration of image pixels or textual information.

However, VSE models face the computational challenge due to the large scale image-class data and the constrained system processing power, which limit its application capacity. In detail, the bottleneck of training VSE models lies in two parts: (1) the scoring inner-product operation and (2) the huge number of images and classes. In order to reduce time complexity, some previous research works suggest to sample from class space, which later has become a common practice by creating a sample of \( m < M \) classes at each training step. Various sampling methods have been proposed to alleviate the performance defect caused by the imperfect sampler, including uniform sampling [4], static sampling (word2vec) [5], dynamic sampling (WARP) [2], and a state-of-the-art fast dynamic & adaptive sampling (VSE-ens) [1]. However, sampling-based methods are biased regardless how many update steps are taken. Generally, there are two ways to mitigate this issue: (1) design a complicated sampling distribution closer to the true data distribution - which is either suboptimal or inefficient, or (2) increase the sampling size, \( m \) – which is trivial but costly. Note that there is little research work to study a more efficient method to compute the relevance scores.

In this paper, we focus on the full-sample based learning to retain VSE model’s fidelity which resolves the performance defect of sampling-based methods, and meanwhile adopt a least square loss function to preserve a determinate analytic solution. To reduce the huge time complexity, we propose two efficient transformation strategies to accommodate the whole data loss. Specifically, we propose a separate transformation to reduce the time complexity of computing score when update parameters. Furthermore, we also conduct a positive separate (\( p \)-separate) transformation to resolve the huge time complexity of full sample learning. The experimental results on four real-world datasets, namely OpenImages\(^1\) [7], NUS-WIDE\(^2\) [8], IAPR-TC12\(^3\) [9] and Flickr\(^4\) demonstrate that our VSE-fs model trains 4.27 times faster than the start-of-art model (VSE-ens) on OpenImages, 12.59 times on NUS-WIDE, 9.68 times on IAPR-
TC12 and 19.19 times on Flickr, and produces significant improvements on class retrieval accuracy in the meanwhile.

2 RELATED WORK

In this section we briefly review two negative sampling strategies as well as three representative algorithms, which will be used for performance comparison in Section 4.3.

2.1 Uniform Sampling

Pairwise learning to rank with a uniform sampling, also referred to as Opt-AUC [4] criterion, is a popular way to optimize VSE models. The aim of Opt-AUC is to rank any positive (image, class+) pair from ground-truth higher than a randomly sampled negative (image, class−) one:

$$\text{score}(\text{image, class}^+) > \text{score}(\text{image, class}^-)$$

where class+ and class− denote the positive and negative class, respectively, also applied to the following discussion.

Although the uniform sampling of negative classes is very efficient and only takes $O(1)$ time, it converges much slower and performs worse than other well-designed samplers. This is because many sampled examples are not informative and thus less effective for model training as explained by [1].

2.2 Dynamic Sampling

On account of the accuracy defect of uniform sampler, some dynamic samplers are proposed to better optimize VSE models. Two state-of-the-art algorithms are shortly reviewed as follows.

WARP [2]: (Weston et al. 2011) introduce a Weighted Approximate-Rank Pairwise Loss, where the weighted rank is implemented by a rejection sampler. That is, it will repeatedly draw negative classes until the score of a drawn negative class meets the requirement:

$$\text{score}(\text{image, class}^-) \geq \text{score}(\text{image, class}^+)$$

However, WARP sampling is expensive to find the violated negative examples due to the time-consuming traveling operation on the whole non-positive class set which takes $O(TK)$ time ($T$ and $K$ are the average sampling trials and the scoring computation steps respectively). What’s worse, $T$ will become much larger after several training iterations, as most positive pairs are likely to have higher scores than negative ones.

VSE-ens [1]: To solve the aforementioned issue of WARP sampling, VSE-ens [1] is proposed to approximately and efficiently estimate the rank of negative classes without executing the scoring inner-product operation before each stochastic gradient descent (SGD) update. That is, VSE-ens aims to sample the item pairs that are most likely (maybe not exactly) to meet the rejection requirement of WARP sampling.

In summary, uniform sampler i.e. Opt-AUC [4] trains VSE models with low time complexity but only reaches poor performance. Dynamic sampler i.e. WARP [2] is capable of solving the issue of poor performance (in uniform sampler) but at the cost of high time complexity. Although the improved dynamic sampler i.e. VSE-ens [1] can help relieve the efficiency problem of WARP, sampling-based approaches inherently cannot take full advantage of all information in the dataset, leading to performance loss to some extent. Thus, in this paper we will introduce our VSE model (VSE-fs) with efficient full-sample training in the following sections.

3 SCALABLE VSE MODEL

For the sake of discussion, we will first introduce a number of notations in this paper. Given a set of image-class pairs represented by $D = \{(i, c)\}_{i:N, c:M}$, where $i$ and $c$ denote an image and a corresponding class, respectively; $N$ and $M$ are the number of images and classes, respectively. A VSE model is to map images and classes into image embedding space denoted by $\mathbb{R}_I$ and class embedding space denoted by $\mathbb{R}_C$, respectively. For an image $i$, it can be denoted by an embedding vector $\mathbf{v}_i \in \mathbb{R}_I$, and similarly a class $c$ can be represented by $\mathbf{v}_c \in \mathbb{R}_C$. Hence, we use $V_I^{N \times K} \subseteq \mathbb{R}_I$ to denote the image embedding matrix and take $V_C^{M \times K'} \subseteq \mathbb{R}_C$ for the class embedding matrix, where $K$ and $K'$ are the dimension of image and class embedding matrix respectively. Moreover, we set $K = K'$ to force the mapping of images and classes into a joint embedding space, whereby classes can be quickly retrieved for a given image. Lastly, we use $C_i$ as the set of classes associated with image $i$, and $I_c$ as the set of images labeled with class $c$, where $C$ denotes the ground-truth class set of all images and $I$ denotes the set of all images. Thus, the objective of VSE is to learn proper embedding representations ($V_I$ and $V_C$) of images and classes.

3.1 VSE-fs Model

Different from previous methods to sample from non-positive classes, we propose a full-sample based model to retain the fidelity of VSE models. The problem is that the number of images for each class is extremely imbalanced in full-sample learning. To resolve this issue, we propose a weighting scheme (in Section 3.1.1) to take into account the importance of different classes. Furthermore, to represent images more accurately, we model an image (e.g. $i$) by the combination of image embedding vector $\mathbf{v}_i$ and the summation of related positive class embedding vectors $\sum_{c \in C_i} \mathbf{v}_c$.

In summary, we derive a weighted least square loss function to discriminate positive classes from non-positive ones. To be specific, it is a summation of weighted residual error$^5$, defined as follows:

$$\min_{\forall i:N} \text{loss} = \sum_{c \in C_i} w_{ic}(\xi_{ic}^+ - \zeta_{ic})^2 + \sum_{c \in C_i} \beta_{ic} \zeta_{ic}^2 + \text{reg}$$

where $\xi_{ic}^+$ and $\xi_{ic}^-$ denote the ground truth score of positive and non-positive $(i, c)$ pair respectively, where $\xi_{ic} = 0$ as the image is not related with the non-positive class. $\zeta_{ic}$ is the relevant score of $(i, c)$ pairs predicted by our VSE-fs model which will be defined in Section 3.2. $w_{ic} \in W^{N \times M}$ is the positive weight for positive $(i, c)$ pairs, accounting

5. Our optimization target pertains to unconstrained Quadratic Program (QP), and is a least square approximation which has the deterministic solution.
Thus, the scale factor is indeed an amplification coefficient. by the weighting strategies of [10], we propose an adaptive and lower weight for those that may be positive. Inspired true negative

In four datasets, the number of images for each class is regularized term to avoid overfitting.

for the co-occurrence frequency of image i and class c. \( \beta_c \) controls the contribution of non-positive classes to the loss function. It is a class-specific weighting strategy elaborated in Section 3.1.1. \( \text{reg} = \lambda \left( \sum_{i=1}^{N} ||v_i||^2 + \sum_{c=1}^{M} ||v_c||^2 \right) \) is the regularization term to avoid overfitting.

3.1.1 Weighting Scheme of Non-positive Classes

In four datasets, the number of images for each class is extremely imbalanced, that is, some classes are ‘common’ or ‘popular’ while the others are ‘infrequent’ or ‘unpopular’. It is probable that a ‘popular’ class is a true-negative one for an image, if the image is not related with the class. Thus, we should assign a higher weight for these true negative classes and lower weight for those that may be positive. Inspired by the weighting strategies of [10], we propose an adaptive weighting strategy\(^6\), given by:

\[
\beta_c = \beta_0 \frac{\chi_c^\alpha}{\sum_{c'=1}^{M} \chi_c^\alpha},
\]

where \( \chi_c \) denotes the ‘popularity’ of this class across the whole dataset and is defined by \( |I_c|/\sum_{c'} |I_{c'}| \); \( \beta_0 \) controls the overall strength of the weights. \( \alpha \) is a nonlinear scale factor to control the importance of non-positive weights relative to the positive weights.

3.2 Scoring Strategy

The positive classes of a given image are valuable in modelling this image by which we can get more accurate results (experimental results are given in Section 4.5). Different from previous research works [1], [2], we model an image (e.g., i) by the combination of image embedding vector \( v_i \) and the summation embedding vectors of its associated positive classes \( \sum_{c \in C_i} v_c \), to better capture the connections between images and classes, defined by:

\[
\zeta_{ic} = \langle v_i + \gamma p_i, v_c \rangle - \text{excl}_c
\]

where \( \langle \cdot, \cdot \rangle \) denotes the inner product operation between two vectors, and \( \gamma \in [0, 1] \) controls the strength of the injected class embedding vectors. We denote \( p_i \) as the extended embedding vector and define it as follows:

\[
p_i = |C_i|^{-\frac{1}{2}} \sum_{v_{c'} \in C_i} v_{c'}
\]

where \( p_i \in \mathbb{R}^{N \times K} \) is the summation of all positive class embedding vectors for a given image \( i \), and thus \( P \) is the extended embedding matrix with the size of \( N \times K \) and \( |C_i|^{-\frac{1}{2}} \) is the normalization term.

6. It is trivial to prove that \( \chi^\alpha \) is a monotone decreasing function with respect to the scale factor \( \alpha \) by taking the first and second derivation. Thus, the scale factor is indeed an amplification coefficient.

3.3 Scalable Transformation

Eq. 3 summarizes the updating rules in element level which takes \( O(K^2NM) \) time of updating the whole image embedding matrix. Specifically, the huge amount of time is cost by the scoring operation and the summation in non-positive part. In this section, we will propose two separate transformations to greatly alleviate the training time complexity.

3.3.1 f-separate Transformation for Scoring Operation

Our first observation regarding Eq. 3 is that one has to perform the inner product operation (i.e., \( \zeta_{ic} \)) for each parameter optimization (i.e., \( v_{ic} \)), which merely takes \( O(K) \) time. Although the scoring operation does not sound a very time-consuming process in updating one element of an embedding vector, it will quickly reach up to \( O(K^2) \) time in order to update the whole embedding vector, letting alone the operation working on all the non-positive (i, c) pairs. Thus, it is necessary to speed up the process. In fact, the reason why we re-compute the score in updating another dimension is that the element of current dimension is a part of the scoring operation, and the score will change along with the updating dimension.
Hence, the basic idea is to separate the current updating dimension i.e. $f$ from the score and cache the summation of other $f$-irrelevant (dubbed $f$-separate) dimensions before updating $f$ dimension. Later, we can update the cache before updating another dimension i.e. $f + 1$. In this way, $O(K^2)$ time can be simply reduced to $O(K)$. Hence, it is easy to obtain the $f$-separate scoring function from Eq.2:

$$
\zeta^f_i = \zeta_{ic} - v_{if}(\gamma + \rho v_{if}) + exc_{ic} \tag{4}
$$

where $\zeta^f_i$ denotes the computation without $f$-dimension.

Thus, by pre-computing $\zeta^f_i$, we can compute $\zeta_{ic}$ in $O(1)$ time to accelerate the training process. The time complexity can be reduced from $O(K^2 NM)$ to $O(KNM)$ for updating image or class embedding matrix. We then apply the $f$-separate strategy to Eq. 3, deriving the following new updating rules:

$$
v_{if} = \frac{\sum_{c \in C} w_{ic} v_{if} \Delta \text{score}_{ic} - \sum_{c \in C} \beta_c v_{if}(\zeta^f_{ic} + \rho v_{if})}{\sum_{c \in C} w_{ic} v_{i cf}^2 + \sum_{c \in C} \beta_c v_{i cf}^2 + \lambda} \tag{5}
$$

where $\Delta \text{score}_{ic} = \zeta^f_{ic} - \zeta_{i c} - exc_{ic} - \gamma v_{if} v_{if}$ for the sake of simplicity.

Fig. 1 explains the idea of $f$-separate transformation. Specifically, assume that we have 5 images and 10 classes in the training dataset and set the embedding dimension as 5. Suppose image 1 is related with classes {1, 9, 10}, the score $\zeta_{1 2}$ can be transformed into a 2-separate value $\zeta^2_{1 2}$ by subtracting $(v_{1 2} + \sum_{c \in \{1,9,10\}} v_{c 2}^c)v_{2 2}$, which can be computed before updating the 2nd element in the image embedding vector of image 1.

### 3.3.2 p-separate Transformation for Non-positive Part

The time complexity of Eq. 5 is smaller than the original updating rules. However, the underline parts still need to directly traverse the whole non-positive class set. Moreover, as shown in Table 1, the number of non-positive classes is very large and much larger than the number of positive ones. In other words, the computational bottleneck now lies in the summation of the non-positive classes, which almost requires to traverse the whole class set.

To ameliorate the time complexity of updating rules, the traverse learning over all non-positive classes can be transformed as the residuals between all $(i, c)$ pairs and the whole positive $(i, c^*)$ pairs (relatively small number of item pairs), referred to as p-separate transformation.

Firstly, we focus on $\sum_{c \in C} \beta_c v_{i cf}^2$, which can be reformulated as:

$$
\sum_{c \in C} \beta_c v_{i cf}^2 = \sum_{c \in C} \beta_c v_{i cf}^2 \tag{6}
$$

image independent

If we define $H^C = \beta V^C C$, where $\beta = [\beta_1,...,\beta_c]$ is the weight vector of classes, the first term $\sum_{c=1}^{M} \beta_c v_{i cf}^2$ can be noted as $h_{i f}^c \in H^c$, which is independent of the current updating image embedding vector. Thus, we can pre-compute this term before updating elements of the image embedding vector. The time-consuming operation of summation in negative part can be transformed into a pre-computed time and the summation in positive part time.

Additionally, we can further speed up the caching process by only computing only half of entries in the cached matrix since $H^C$ is a upper triangular matrix.

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**Algorithm 1: Fast Full-sample VSE-fs Model**

**Input**: $D, K, \lambda$, positive and non-positive weights $W$, $\beta_0$ and scale factor $\alpha$

**Output**: Image and class embedding matrix $V_I, V_C$

1. for $\forall i \in N, c \in C_i$ do
   2. Compute $\zeta_{ic} \gets$ Eq. 2 $\Rightarrow O(K|D|)$
3. end

4. while Not Converged do
   5. // Update the image embedding matrix ;
   6. Update cache $H^C = \beta V^C C$ $\Rightarrow O(K^2 M)$
   7. for $i = 1 \rightarrow N$ do
      8. for $k = 1 \rightarrow K$ do
         9. Compute $\zeta_{ic} \in C_i \gets$ Eq. 4;
         10. Update $v_{i f} \gets$ Eq. 6 $\Rightarrow O(K + |C_i|)$;
         11. Update score $\zeta_{ic} \in C_i$;
      12. end
   13. end
   14. // Update the class embedding matrix ;
   15. Update cache $H^I = (\gamma P + V_i)^T (\gamma P + V_i)$ $\Rightarrow O(K^2 N)$
   16. for $c = 1 \rightarrow M$ do
      17. for $k = 1 \rightarrow K$ do
         18. Compute $\zeta_{ic} \in I_c \gets$ Eq. 4 ;
         19. Update $v_{i f} \Rightarrow O(K + |I_c|)$;
         20. Update score $\zeta_{ic} \in I_c$;
      21. end
   22. end
23. end
24. return $V_I$ and $V_C$

---

Analogously, we can also derive pre-computed formulation of $\zeta_{ic}$ mixed terms by applying the similar strategy as follows:

$$
\sum_{c \in C} \beta_c v_{i f}(\zeta_{ic} + \gamma v_{cf} p_{if}) = \sum_{k \neq f} (v_{ik} + \gamma p_{ik}) h_{jk}^c + \gamma p_{i f} h_{jf}^c - \sum_{c \in C} \beta_c v_{cf}(\zeta_{ic} + \gamma v_{cf} p_{if})
$$

Therefore, after applying p-separate transformation strategy, the final updating rules of image embedding matrix in element level can be re-written as follows:

$$
v_{i f} = \frac{\sum_{c \in C_i} (w_{ic}v_{i f}(\zeta^f_{ic} - exc_{ic}) - \Delta \omega_{i c}(\gamma v_{cf} p_{if} + v_{cf} \zeta_{ic})) - \text{term}_i}{\sum_{c \in C_i} \Delta \omega_{i c} v_{i cf}^2 + h_{i f}^c + \lambda} \tag{6}
$$

where $\Delta \omega_{i c} = w_{ic} - \beta_c$, term$_i = \sum_{k \neq f} v_{ik} h_{jk}^c - p_{i f} h_{jf}^c$ for the sake of simplicity. Analogously, we can also derive the updating rule of the entry in class embedding matrix by applying these two separate strategies.

Algorithm 1 summarizes the accelerated full-sample VSE model (VSE-fs). According to the updating rules, calculating each $\zeta_{ic}$ requires the score of the corresponding training pair $(i, c)$, i.e., $\zeta_{ic}$. Thus, Lines (1-3) compute the initial score in advance, which is used in the subsequent steps. Note that although $\zeta_{ic}$ changes when updating $v_{i f}$ or $v_{i f}$, it can be updated synchronously by Line 11 or Line 20.
TABLE 2: Time complexity of all comparison models in each training iteration, where $T$ in WARP denotes the average sampling trials for each SGD update. $c_1$ (in VSE-ens) and $c_2$ (in Opt-AUC) are the constant coefficient of the time complexity respectively with the relationship of $c_2 < c_1 \ll T$.

<table>
<thead>
<tr>
<th>Model</th>
<th>VSE-fs</th>
<th>VSE-ens</th>
<th>WARP</th>
<th>Opt-AUC</th>
</tr>
</thead>
<tbody>
<tr>
<td>$O((N + M)K^2 + K</td>
<td>D</td>
<td>)$</td>
<td>$O(c_1 K</td>
<td>D</td>
</tr>
</tbody>
</table>

3.4 Discussion

In Algorithm 1, updating an image embedding vector takes $O(K^2 N + K|D|)$ time (Line 10). Thus, one VSE-fs iteration takes $O(K^2 N + K|D|)$ time complexity of positive $(i, c)$ pairs for updating all image-related parameters (Line 7). The overall time complexity for updating parameters of both images and classes is $O(K^2 (N + M) + K|D|)$. For the VSE-ens model, it updates the class rank for every $M \log(M)$ steps which takes $O(\text{const} \cdot K|D|)$ for every iteration. Table 2 summarizes the time complexity for all aforementioned models, where $c_1$ and $c_2$ are the constant coefficient of VSE-ens and Opt-AUC; $T$ denotes the average sampling trials of WARP. Besides, there is a relation with $T \gg c_1 > c_2$. Note that $(N + M)K^2$ has the same order of magnitude as $K|D|$ because $(N + M)K$ is not always larger than $|D|$; that is, for each iteration, our model can be efficiently trained in WARP denotes the average sampling trials of WARP. Additionally, due to the time-consuming sampling operation

<table>
<thead>
<tr>
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<th>OpenImages</th>
<th>NUS-WIDE</th>
<th>Flickr</th>
<th>IAPR-TC12</th>
</tr>
</thead>
<tbody>
<tr>
<td>VSE-fs</td>
<td>6.14 m</td>
<td>32.93 s</td>
<td>10.31 s</td>
<td>1.73 s</td>
</tr>
<tr>
<td>VSE-ens</td>
<td>32.33 m</td>
<td>447.49 s</td>
<td>208.11 s</td>
<td>18.47 s</td>
</tr>
<tr>
<td>WARP</td>
<td>216.39 m</td>
<td>1047.71 s</td>
<td>1010.56 s</td>
<td>34.33 s</td>
</tr>
<tr>
<td>Opt-AUC</td>
<td>32.24 x</td>
<td>30.82 x</td>
<td>97.02 x</td>
<td>18.84 x</td>
</tr>
<tr>
<td>Accelerate</td>
<td>4.27 x</td>
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4.4.2 Parameter Settings

We fix the number of latent factors as $K = 128$, and initialize variables by a normal distribution $N(0, 0.001)$. The other parameters suggested by the original papers are adopted in our experiments. Additionally, our method works without learning rate, bypassing the well-known difficulty in tuning stochastic gradient descent learners. Five popular ranking metrics are adopted to measure the class retrieval accuracy, including precision and recall (denoted by Pre@N, Rec@N), mean average precision (MAP), normalized discounted cumulative gain (NDCG) and area under the ROC curve (AUC), where the cutoff N is set to 5 or 10. The detailed metric definitions can be found in [1], which are omitted in this paper due to space limitations.

4.4 Training Speed

Although our model takes advantage of full sample, we stress that our model can be efficiently executed, and much faster than the models with negative sampling. Besides, the cached terms can be further optimized by the symmetry of cache matrices. Moreover, our model can be efficiently paralleled to train (different workers update different image or class embedding vectors) which will dramatically reduce the training time. Due to the indeterminacy of negative sampling results, baseline models must be performed in single thread. Thus, we just run a single thread to train VSE-fs model for fair efficiency comparison. The per iteration training time for these models is presented in Table 3, where $m$ and $s$ denote minutes and seconds respectively. Additionally, due to the time-consuming sampling operation
store the weights of all $\beta$ in Eq. 1) which has the size of $K$ of $H$ three parts: (1) the two derived cached matrices

The majority of memory usage in our VSE-fs model lies in

is valuable to optimize VSE models with full non-positive examples, and it provides significant performance gains relative to negative sampling approaches.

of WARP model, we manually set the maximal number of sampling trials as 500 for OpenImages dataset in the training process. The results in Table 3 are based on this setting. Opt-AUC has an approximate per-iteration training time compared with VSE-fs because of the simple random-sampling strategy.

4.3 Retrieval Performance

Table 4 summarizes the retrieval performance of all the comparison models, where the best results of each model are reported. Generally, our model achieves the best performance among these models across different datasets and evaluation metrics. Specifically, the results reported on four datasets are very consistent and justify the correctness of our experiments. Opt-AUC produces the poorest performance, suggesting the value of advanced sampling strategies over uniform sampling. VSE-ens beats WARP and Opt-AUC to a large extent, which is consistent with the results reported by [1] on OpenImages, NUS-WIDE and Flickr. Even though, our approach with full-sample outperforms VSE-ens, which has a carefully designed negative sampler. To sum up, it is valuable to optimize VSE models with full non-positive examples, and it provides significant performance gains relative to negative sampling approaches.

4.4 Memory Usage

The majority of memory usage in our VSE-fs model lies in three parts: (1) the two derived cached matrices $H^I$ and $H^C$ (see Line 6 and Line 15 in Algorithm 1) which have the size of $K \times K$; (2) the positive weight matrix (see $w_{ic} \in W^{N \times M}$ in Eq. 1) which has the size of $|D|$ since it is unnecessary to store the weights of all $(i, c)$ pairs; (3) the negative weights $\beta_c$ with the size of $M$ (see Eq. 1).

Fig. 2 (a) illustrates the memory usage of the four comparison models on OpenImages. The results show that the memory usage of VSE-fs model is slightly higher than VSE-ens model while the WARP and Opt-AUC use the least memory. The rightmost bar denotes the memory usage of image and class embedding matrices which is the basic memory usage of VSE models. We omit the details in NUS-WIDE, Flickr and IAPR-TC12 since they share the similar effects. However, although VSE-fs has a high memory usage, RAM is not the bottleneck any more for training the model nowadays because of the low price of RAM, and it is a commonplace to run model on large RAM servers, in which most modern operating systems have excellent memory management strategy, and many third-party tools could be used to optimize the memory footprint. Furthermore, our model learning can be easily paralleled (discussed in Section 3.4), in which the embedding matrices can be stored in different servers and the memory usage of a single computer can be further reduced.

4.5 Effect of Parameters $\beta_0$, $\gamma$ and $\alpha$

Parameter $\beta_0$ controls the strength of the non-positive examples in our VSE-fs model (see Eq. 1). It has direct influence on the retrieval performance. We tune its value from 1 to 512 exponentially stepping by $2^n$ ($n$ is the number of steps), and then finer-tune with a smaller interval to search the best settings. The results are shown in the left sub-figure of Fig. 2 (b) in terms of Pre@5 on OpenImages. We omit the details in other metrics and other datasets (for space saving) since they follow similar trends. It indicates that a proper setting of parameter $\beta_0$ is important to achieve the best performance, while smaller or larger values may lead to poor performance. In fact, the best settings of parameter $\beta_0$ are 16, 3, 128 and 8 for OpenImages, NUS-WIDE, IAPR-TC12 and Flickr, respectively.

<table>
<thead>
<tr>
<th>Model</th>
<th>Pre@5</th>
<th>Rec@5</th>
<th>Pre@10</th>
<th>Rec@10</th>
<th>MAP</th>
<th>NDCG</th>
<th>AUC</th>
</tr>
</thead>
<tbody>
<tr>
<td>VSE-fs</td>
<td>0.0869</td>
<td>0.4303</td>
<td>0.0558</td>
<td>0.5579</td>
<td>0.2846</td>
<td>0.3492</td>
<td>0.7788</td>
</tr>
<tr>
<td>VSE-ens</td>
<td>0.0837(+3.82)</td>
<td>0.4183(+2.87)</td>
<td>0.0557(+0.18)</td>
<td>0.5572(+0.13)</td>
<td>0.2744(+3.72)</td>
<td>0.3410(+2.40)</td>
<td>0.7783(+0.06 x)</td>
</tr>
<tr>
<td>WARP</td>
<td>0.0706(+23.09)</td>
<td>0.3529(+21.93)</td>
<td>0.0474(+17.72)</td>
<td>0.4741(+17.68)</td>
<td>0.2315(+22.94)</td>
<td>0.2886(+21.00)</td>
<td>0.7569(+5.69 x)</td>
</tr>
<tr>
<td>Opt-AUC</td>
<td>0.0471(+84.50)</td>
<td>0.2355(+82.72)</td>
<td>0.0346(+61.27)</td>
<td>0.3465(+61.01)</td>
<td>0.1461(+94.80)</td>
<td>0.1928(+81.12)</td>
<td>0.6730(+15.72 x)</td>
</tr>
</tbody>
</table>

**OpenImages**

| VSE-fs  | 0.0313 | 0.1567 | 0.0227 | 0.2273 | 0.0967 | 0.1272 | 0.6135 |
| VSE-ens | 0.0278(+12.59)| 0.1391(+12.65)| 0.0198(+14.65)| 0.1982(+14.68)| 0.0893(+8.29)| 0.1144(+11.19)| 0.5990(+2.42 x) |
| WARP    | 0.0117(+192.52)| 0.0553(+194.00)| 0.0083(+173.49)| 0.0830(+173.86)| 0.0336(+187.80)| 0.0448(+183.93)| 0.5415(+13.30 x) |
| Opt-AUC | 0.0305(+794.29)| 0.0177(+785.31)| 0.0028(+710.71)| 0.0279(+714.70)| 0.0113(+755.75)| 0.0151(+742.38)| 0.5139(+19.38 x) |

**NUS-WIDE**

| VSE-fs  | 0.1267 | 0.6323 | 0.0732 | 0.7316 | 0.4456 | 0.5152 | 0.8647 |
| VSE-ens | 0.1143(+10.85)| 0.5716(+10.62)| 0.0696(+5.17)| 0.6957(+5.16)| 0.3887(+14.64)| 0.4621(+11.49)| 0.8453(+2.30 x) |
| WARP    | 0.1251(+1.28)| 0.6256(+1.07)| 0.0726(+0.83)| 0.7262(+0.74)| 0.4375(+1.85)| 0.5070(+1.62)| 0.8609(+0.44 x) |
| Opt-AUC | 0.1001(+26.57)| 0.5039(+25.48)| 0.0664(+10.24)| 0.6635(+10.26)| 0.3078(+44.77)| 0.3925(+31.26)| 0.8288(+4.33 x) |

**Flickr**

| VSE-fs  | 0.0602 | 0.3011 | 0.0440 | 0.4413 | 0.1940 | 0.2501 | 0.7242 |
| VSE-ens | 0.0598(+0.67)| 0.2990(+0.70)| 0.0436(+0.92)| 0.4364(+1.12)| 0.1836(+5.66)| 0.2427(+3.05)| 0.7126(+1.63 x) |
| WARP    | 0.0595(+1.18)| 0.2976(+1.18)| 0.0428(+2.80)| 0.4278(+3.16)| 0.1796(+8.02)| 0.2380(+5.08)| 0.7086(+2.20 x) |
| Opt-AUC | 0.0543(+10.87)| 0.2713(+10.98)| 0.0414(+6.28)| 0.4136(+6.70)| 0.1629(+19.09)| 0.2212(+13.07)| 0.7011(+3.29 x) |

**IAPR-TC12**

Table 4: The ranking accuracy of all methods, where values ‘(+ )’ indicate the percentage of improvements (symbol % is omitted) our approach achieves relative to the corresponding baseline model.
Parameter $\gamma$ accounts for the strength of the extended vector $p_i$ in scoring function (see Eq. 2) with the range in $[0, 1]$. Our new scoring function will turn to the ordinary scoring by setting $\gamma = 0$. We tune $\gamma$ from 0 to 1 to find the best results as shown in the middle sub-figure of Fig. 2 (b) in terms of Pre@5 on OpenImages. The experimental results demonstrate that our scoring function gains improvements of 1.52 x on OpenImages compared with the ordinary scoring (i.e., $\gamma = 0$) and the optimal setting of $\gamma$ is 0.01. Note that the retrieval performance dramatically decreases when setting $\gamma = 1$, which is consistently worse than the results of $\gamma = 0$ on OpenImages. One possible explanation is that high portion of $p_i$ in scoring function $(v_i + \gamma p_i)$ may disturb the optimization of image and class embedding matrices. In other words, the impact of class embedding vectors $v_c$ will overweight that of image embedding vectors $v_i$ in the score, which may result in the issue of under-fitting. Note that the best settings of parameter $\gamma$ are 0.02, 0.03 and 0.04 on NUS-WIDE, Flickr and IAPR-TC12 respectively, which also share the similar effects above mentioned.

Lastly, parameter $\alpha$ indicates the significant level of the non-positive weights related to the positive weights. We also set it in the range of $[0, 1]$ to find the best value. The results of tuning $\alpha$ on OpenImages are given in the right sub-figure of Fig. 2 (b). The experimental results show that our VSE-fs model reaches the best performance with a proper value between 0 and 1, which outperforms the settings of both $\alpha = 0$ and $\alpha = 1$. Therefore, the weighting strategy of our model is superior to the uniform weighting strategy ($\alpha = 0$) as well as the basic ‘popularity’ based weighting strategy ($\alpha = 1$). To be specific, our VSE-fs model reaches the best performance with $\alpha = 0.35$ on OpenImages. Note that the result of $\alpha = 1$ is better than that of $\alpha = 0$, implying that ‘popularity’ based weighting strategy works better than the basic uniform weighting strategy. In addition, the optimal settings of parameter $\alpha$ are 0.85, 0.43 and 0.52 on NUS-WIDE, Flickr and IAPR-TC12, respectively.

5 Conclusion

In this paper, we studied the efficiency problem of visual-semantic embedding (VSE) models. We analytically pointed out that traditional approaches to sample negative examples may lead to performance loss due to the potential missing of informative examples. Thus, we proposed a novel VSE model with full-sample optimization (named VSE-fs) rather than only a sampled portion of negative examples. To reduce time complexity and boost model training, we devised two separate-transformation strategies, aiming to simplify the computation of inner-product operations and the traversing over all non-positive sample. The experimental results on four datasets demonstrated that our approach can obtain significant performance gains in terms of both accuracy and convergence, comparing with state-of-the-art models with negative sampling.

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